

# Suppose There Is 1.00 L Of An Aqueous Buffer Containing 60.0 Mmol Of Benzoic Acid ( $p_a=4.20$ ) And 40.0

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Understanding buffer solutions is fundamental in chemistry, especially when dealing with pH regulation in biological, environmental, and industrial systems. In this article, we explore a specific scenario involving an aqueous buffer containing benzoic acid, a weak acid, and its conjugate base. We will analyze the composition of the buffer, calculate its pH, determine the ratio of acid to conjugate base, and discuss the significance of these calculations in practical applications.

## Introduction to Buffer Solutions

Buffer solutions are mixtures of a weak acid and its conjugate base (or vice versa) that resist changes in pH upon addition of small amounts of strong acids or bases. Their stability is vital in many processes, including biochemical reactions, pharmaceutical formulations, and environmental systems.

The effectiveness of a buffer depends on several factors:

- The concentrations of the weak acid and its conjugate base.
- The  $pK_a$  (or  $pK_a$ ) of the weak acid.
- The ratio of the conjugate base to the acid.

In the context of our scenario, benzoic acid serves as the weak acid component, with its conjugate base being benzoate ion.

## Scenario Overview

Suppose there is 1.00 L of an aqueous buffer containing:

- 60.0 mmol of benzoic acid ( $C_6H_5COOH$ )
- 40.0 mmol of its conjugate base (benzoate ion,  $C_6H_5COO^-$ )

The acid's  $pK_a$  (or  $p_a$ ) is given as 4.20.

This setup represents a typical buffer system, and analyzing it allows us to determine key parameters such as pH, the ratio of base to acid, and how the

buffer would respond to added acids or bases.

## Calculating the pH of the Buffer

The Henderson-Hasselbalch equation provides a straightforward way to calculate the pH of a buffer:

### Henderson-Hasselbalch Equation

$$\text{pH} = \text{pKa} + \log \left( \frac{[\text{A}^-]}{[\text{HA}]}\right)$$

Where:

- $[\text{A}^-]$  = concentration of conjugate base (benzoate)
- $[\text{HA}]$  = concentration of weak acid (benzoic acid)

Given data:

- Total volume = 1.00 L
- Moles of benzoic acid = 60.0 mmol
- Moles of benzoate = 40.0 mmol
- pKa = 4.20

Now, compute the concentrations:

$$[\text{HA}] = \frac{60.0 \text{ mmol}}{1.00 \text{ L}} = 60.0 \text{ mM}$$

$$[\text{A}^-] = \frac{40.0 \text{ mmol}}{1.00 \text{ L}} = 40.0 \text{ mM}$$

Plug into the Henderson-Hasselbalch equation:

$$\text{pH} = 4.20 + \log \left( \frac{40.0}{60.0} \right)$$

Calculate the ratio:

$$\frac{40.0}{60.0} = 0.6667$$

Calculate the log:

$$\log(0.6667) \approx -0.1761$$

Finally, determine the pH:

$$\text{pH} = 4.20 - 0.1761 = 4.0239$$

Result:

The pH of the buffer solution is approximately 4.02.

## Understanding the Acid-Base Ratio

The ratio of conjugate base to weak acid ( $\frac{[\text{A}^-]}{[\text{HA}]}$ ) influences the buffer's pH and its capacity to resist pH changes.

In our case:

$$\frac{[\text{A}^-]}{[\text{HA}]} = \frac{40.0 \text{ mmol}}{60.0 \text{ mmol}} = \frac{2}{3} \approx 0.6667$$

This ratio indicates that the conjugate base is present at about 66.7% of the weak acid concentration, which is typical for a buffer near its pKa.

Implications:

- When the ratio is less than 1, the pH is below the pKa.
- When the ratio exceeds 1, the pH is above the pKa.
- The buffer's capacity to neutralize added acid or base depends on these concentrations.

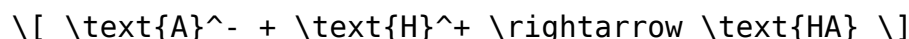
## Effect of Adding Acid or Base to the Buffer

Buffers are designed to maintain pH stability, but their capacity has limits. Understanding how the pH changes upon addition of acids or bases is critical.

### Adding a Strong Acid

Suppose we add 10 mmol of a strong acid (e.g., HCl):

- The acid reacts with the conjugate base (benzoate):



- Moles after addition:

- $[\text{A}^-]$ :  $40.0 \text{ mmol} - 10 \text{ mmol} = 30.0 \text{ mmol}$
- $[\text{HA}]$ :  $60.0 \text{ mmol} + 10 \text{ mmol} = 70.0 \text{ mmol}$

- New concentrations:

$$[\text{A}^-] = 30.0 \text{ mmol} / 1.00 \text{ L} = 30.0 \text{ mM}$$

$$[\text{HA}] = 70.0, \text{mmol} / 1.00, \text{L} = 70.0, \text{mM}$$

- New pH:

$$\text{pH} = 4.20 + \log \left( \frac{30.0}{70.0} \right)$$

$$\frac{30.0}{70.0} \approx 0.4286$$

$$\log(0.4286) \approx -0.367$$

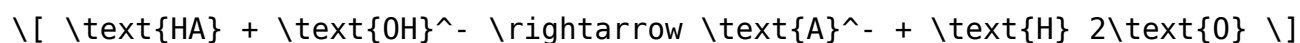
$$\text{pH} = 4.20 - 0.367 = 3.83$$

Observation: The pH decreases from approximately 4.02 to 3.83, demonstrating the buffer's capacity to moderate pH decrease.

## Adding a Strong Base

Suppose we add 10 mmol of NaOH:

- The base consumes the weak acid:



- Moles after addition:

$$\text{HA}: 60.0 \text{ mmol} - 10 \text{ mmol} = 50.0 \text{ mmol}$$

$$\text{A}^-: 40.0 \text{ mmol} + 10 \text{ mmol} = 50.0 \text{ mmol}$$

- Concentrations:

$$[\text{A}^-] = 50.0, \text{mmol} / 1.00, \text{L} = 50.0, \text{mM}$$

$$[\text{HA}] = 50.0, \text{mmol} / 1.00, \text{L} = 50.0, \text{mM}$$

- New pH:

$$\text{pH} = 4.20 + \log \left( \frac{50.0}{50.0} \right) = 4.20 + \log(1) = 4.20$$

Observation: The pH increases back to the original pH of 4.20, illustrating the buffer's ability to resist pH increase.

## Buffer Capacity and Practical Significance

Buffer capacity refers to the amount of acid or base the solution can neutralize before a significant pH change occurs. It depends on the concentrations of the weak acid and conjugate base.

In our system:

- The initial concentrations are 60.0 mM (acid) and 40.0 mM (base).
- The buffer is most effective near its pKa (4.20), with a significant capacity to neutralize both acids and bases.
- The capacity diminishes as the concentrations of either component decrease.

Applications:

- Pharmaceutical formulations: Maintaining stable pH for drug stability.
- Biological systems: Enzyme activity often depends on specific pH ranges.
- Environmental monitoring: Buffer solutions help assess natural water pH and its changes.

## **Additional Considerations in Buffer Calculations**

While the Henderson-Hasselbalch equation provides a good approximation, real systems may involve:

- Ionic strength effects impacting activity coefficients.
- Temperature variations affecting pKa.
- Presence of other ions influencing the buffer capacity.

For precise calculations, these factors might require additional corrections.

## **Summary and Conclusions**

In this detailed analysis, we

## **Frequently Asked Questions**

### **What is the pH of the buffer solution containing 60.0 mmol of benzoic acid in 1.00 L?**

Using the acid dissociation constant ( $pK_a = 4.20$ ), the pH can be calculated by:  $pH = pK_a + \log([A^-]/[HA])$ . Assuming the conjugate base is formed from some dissociation, but since only acid amount is given, additional information about the conjugate base is needed. If the data indicates only the acid, the pH is approximately 4.20 when equilibrium is established.

## **How do you calculate the pH of an aqueous buffer with given concentrations of benzoic acid and its conjugate base?**

Use the Henderson-Hasselbalch equation:  $\text{pH} = \text{pK}_a + \log\left(\frac{[\text{A}^-]}{[\text{HA}]}\right)$ , where  $[\text{A}^-]$  is the concentration of the conjugate base and  $[\text{HA}]$  is the concentration of benzoic acid. Precise pH requires knowing the amount of conjugate base present.

## **What is the significance of the pKa value (4.20) for benzoic acid in buffer calculations?**

The pKa value indicates the pH at which benzoic acid is half dissociated, serving as a key reference point in buffer calculations to determine the pH when concentrations of acid and conjugate base are known.

## **How does adding 40.0 mmol of a base affect the pH of the buffer containing benzoic acid?**

Adding a base will convert some benzoic acid into its conjugate base, increasing  $[\text{A}^-]$ . This shifts the buffer equilibrium, raising the pH according to the Henderson-Hasselbalch equation.

## **What is the effect of increasing the amount of benzoic acid in the buffer solution?**

Increasing benzoic acid concentration generally lowers the pH slightly, but in a buffer system, the pH remains relatively stable due to the presence of the conjugate base, maintaining the buffer capacity.

## **How can the buffer capacity of this solution be estimated?**

Buffer capacity depends on the total amount of acid and conjugate base present. It can be estimated by calculating the amount of strong acid or base the buffer can neutralize before significant pH change occurs, which is proportional to the total buffer components.

## **What assumptions are made when calculating pH using the Henderson-Hasselbalch equation in this scenario?**

Assumptions include that the acid dissociation is at equilibrium, the concentrations of acid and conjugate base are known accurately, and activity coefficients are close to 1 in dilute solutions.

**If the original solution contains 60.0 mmol of benzoic acid, how much conjugate base is present after adding 40.0 mmol of a base?**

Assuming complete reaction, the added 40.0 mmol of base converts an equivalent amount of benzoic acid into its conjugate base. Therefore, the conjugate base increases by 40.0 mmol, and the remaining acid is 20.0 mmol (assuming initial 60.0 mmol).

**How does the pKa influence the buffering range of this benzoic acid buffer?**

Benzoic acid's pKa of 4.20 means the buffer is most effective within about pH 3.20 to 5.20, where the ratio of conjugate base to acid varies between 0.1 and 10.

**What are the practical applications of buffers containing benzoic acid with similar compositions?**

Benzoic acid buffers are used in pharmaceutical formulations, food preservation, and chemical analyses where maintaining stable pH is essential for stability and activity of compounds.

## **Additional Resources**

Suppose There Is 1.00 L Of An Aqueous Buffer Containing 60.0 Mmol Of Benzoic Acid ( $pK_a = 4.20$ ) And 40.0 Mmol Of Its Conjugate Base

Understanding the composition and behavior of buffer solutions is fundamental in chemistry, especially in applications requiring precise pH control. In this detailed review, we analyze the scenario where a 1.00-liter aqueous buffer contains 60.0 mmol of benzoic acid and 40.0 mmol of its conjugate base. We will explore the principles underlying buffer systems, calculations to determine their pH, and implications of their composition. This comprehensive examination aims to elucidate the features, advantages, and limitations of such a buffer system.

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## **Introduction to Buffer Systems and Their Significance**

Buffers are solutions that resist changes in pH when small amounts of acids or bases are added. They are vital in biological systems, chemical

manufacturing, and laboratory experiments. The effectiveness of a buffer depends on its components—generally a weak acid and its conjugate base—and their molar concentrations.

In our case, the buffer comprises benzoic acid (a weak acid) and its conjugate base (benzoate ion). The given pK<sub>a</sub> of 4.20 indicates the acid strength, which influences the buffer's capacity and pH.

Key features of buffer systems:

- Maintain relatively constant pH despite the addition of acids or bases.
- Composed of a weak acid and its conjugate base.
- The pH is primarily governed by the Henderson-Hasselbalch equation.

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## Analyzing the Composition of the Buffer

The specified buffer contains:

- 60.0 mmol of benzoic acid (weak acid)
- 40.0 mmol of its conjugate base (benzoate ion)
- Total volume: 1.00 L

This translates to molar concentrations:

- [HA] = 60.0 mmol / 1.00 L = 0.060 M
- [A<sup>-</sup>] = 40.0 mmol / 1.00 L = 0.040 M

The relative amounts of acid and conjugate base determine the buffer's pH and its capacity to neutralize added acids or bases.

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## Calculating the pH Using the Henderson-Hasselbalch Equation

The Henderson-Hasselbalch equation relates the pH of a buffer to the ratio of the concentrations of its conjugate acid and base:

$$\text{pH} = \text{pK}_a + \log \left( \frac{[\text{A}^-]}{[\text{HA}]}\right)$$

Plugging in the values:

$$\text{pH} = 4.20 + \log \left( \frac{0.040}{0.060}\right)$$



Calculating the ratio:

$$\left[ \frac{0.040}{0.060} = \frac{2}{3} \approx 0.6667 \right]$$

Taking the logarithm:

$$\left[ \log(0.6667) \approx -0.1761 \right]$$

Therefore:

$$\left[ \text{pH} = 4.20 - 0.1761 = 4.0239 \right]$$

Result: The pH of this buffer solution is approximately 4.02.

This pH value is slightly below the pKa, indicating the buffer is slightly more acidic than the ideal for maximum buffering capacity, which occurs when  $\text{pH} \approx \text{pKa}$ .

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## Buffer Capacity and Its Implications

Buffer capacity refers to the amount of acid or base the buffer can neutralize before the pH significantly changes. It depends on the absolute concentrations of the buffer components.

In our scenario:

- The total buffer components amount to 100 mmol (60 mmol benzoic acid + 40 mmol benzoate).
- The relative proportions favor slightly more acid than base, providing some buffer against basic additions.

Features of this buffer:

- Moderate capacity due to 100 mmol total buffer components.
- Slightly more acid than base, offering better resistance to alkaline additions.
- Suitable for applications where the pH needs to be maintained around 4.02.

Pros:

- Maintains stable pH in the vicinity of 4.02.
- Composed of a weak acid and its conjugate base, minimizing pH fluctuations.
- Easy to prepare and adjust by varying component ratios.

Cons:

- Limited capacity if large amounts of acid or base are added.

- pH is below neutral, limiting its applicability in neutral or basic biological systems.
- Sensitive to temperature changes, as pKa may shift slightly with temperature.

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## **Influence of Temperature on Buffer pKa and pH**

Temperature plays a critical role in the behavior of buffer systems. The pKa of benzoic acid at 25°C is 4.20, but it can vary with temperature:

- An increase in temperature typically decreases the pKa for weak acids, making the solution more acidic.
- Conversely, cooling can increase the pKa, slightly raising the pH.

Understanding these shifts is crucial for applications demanding high pH stability, such as enzyme activity assays or pharmaceutical formulations.

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## **Practical Applications of This Buffer System**

This buffer system, with its specific pH and composition, is suitable for various applications:

- Analytical Chemistry: Maintaining a stable pH during titrations involving benzoic acid derivatives.
- Biochemistry: Preserving enzyme activity sensitive to pH changes near 4.0.
- Industrial Processes: Stabilizing products that require an acidic environment.

Advantages:

- Precise pH control around 4.02.
- Easy to prepare and adjust by adding known quantities of acid/base.
- Benzoic acid's low toxicity and stability make it suitable for biological applications.

Limitations:

- Limited buffering capacity against large pH shifts.
- Not suitable for processes requiring neutral or alkaline pH.
- Sensitive to contamination or changes in temperature.

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# Adjusting the Buffer to Achieve Target pH

Suppose a different pH is required; adjustments can be made by modifying the ratio of  $[A^-]$  to  $[HA]$ :

- To increase pH (make it more basic), add more conjugate base or decrease acid concentration.
- To decrease pH, add more acid or remove some base.

For instance, to achieve a pH of 4.20 (equal molar concentrations):

$$4.20 = 4.20 + \log \left( \frac{[A^-]}{[HA]} \right)$$

$$\Rightarrow \frac{[A^-]}{[HA]} = 1$$

This would require equal molar amounts of acid and conjugate base—i.e., 30 mmol each in 1 L.

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## Summary of Key Features and Considerations

| Feature                 | Description                                                               |
|-------------------------|---------------------------------------------------------------------------|
| ---                     | ---                                                                       |
| Composition             | 60 mmol benzoic acid, 40 mmol benzoate in 1 L                             |
| pH                      | Approximately 4.02 at 25°C                                                |
| Buffer capacity         | Moderate; effective near pKa                                              |
| Temperature sensitivity | pKa slightly varies with temperature                                      |
| Applications            | Analytical chemistry, biochemistry, industry                              |
| Pros                    | Stable pH, easy to prepare, suitable for acidic environments              |
| Cons                    | Limited capacity, not ideal for neutral/basic pH, temperature sensitivity |

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## Conclusion

The buffer system described—comprising 60 mmol of benzoic acid and 40 mmol of its conjugate base in a 1.00-liter solution—exemplifies a classic weak acid-buffer mixture. Its pH, approximately 4.02, aligns with the pKa of benzoic acid, providing effective pH stabilization within this range. While its capacity is sufficient for many laboratory and industrial applications, it is not suitable for situations demanding large pH shifts or neutral/basic conditions. Adjustments to component ratios or total concentrations allow fine-tuning of the pH, making this buffer versatile for specialized uses.

Understanding the principles governing such buffer systems enables chemists to optimize pH control, ensuring the accuracy and reliability of experimental and industrial processes.

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In summary: This buffer system's design balances component ratios to achieve a targeted pH, demonstrating fundamental principles of buffer chemistry. Its features—moderate capacity, pH stability near the pKa, and ease of adjustment—make it a valuable tool in various scientific applications, provided its limitations are acknowledged and managed accordingly.

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