

A Copper Can Together With A Stirrer Of Total Heat Capacity 60JK* Contains 200g Of Water At 10 C. Dry

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Understanding heat transfer processes is essential in many scientific and engineering applications. In this article, we explore a scenario involving a copper can accompanied by a stirrer, both possessing a combined total heat capacity of 60 Joules per Kelvin (J/K). The setup contains 200 grams of water initially at 10°C, with the system being dry—meaning no additional heat sources or sinks are present. We will analyze how heat transfer occurs within this system, how temperature changes over time, and the relevant principles governing these processes.

Introduction to the System Components

Before delving into the thermal analysis, it's important to understand the individual components of the system:

Copper Can

- Material: Copper
- Properties: High thermal conductivity, specific heat capacity approximately 0.385 J/g·K
- Function: Serves as a container for water, facilitating heat transfer with minimal temperature lag due to its high conductivity.

Stirrer

- Material & Design: Usually metallic or plastic, but in this context, it is considered to have a total heat capacity of 60 J/K, indicating it can absorb or release heat without large temperature changes.
- Function: Used to agitate the water, promoting uniform temperature distribution, and potentially contributing to heat transfer dynamics.

Water

- Mass: 200 grams (0.2 kg)
- Initial Temperature: 10°C

- Specific Heat Capacity: Approximately 4.18 J/g·K (or 4180 J/kg·K)

Understanding Heat Capacity and Its Role

Heat capacity is a measure of the amount of heat needed to change an object's temperature by one Kelvin (or Celsius). The higher the heat capacity, the more heat an object can absorb or release without significant temperature change.

Total Heat Capacity of the System

- The combined heat capacity of the copper can and stirrer is given as 60 J/K.
- The water's heat capacity can be calculated as:

$$C_{\text{water}} = \text{mass} \times \text{specific heat capacity} = 0.2 \text{ kg} \times 4180 \text{ J/kg}\cdot\text{K} = 836 \text{ J/K}$$

- The total heat capacity of the entire system (water + can + stirrer) is:

$$C_{\text{total}} = C_{\text{water}} + C_{\text{can}} + C_{\text{stirrer}}$$

Since the can and stirrer are combined to 60 J/K, and the water's contribution is 836 J/K, the total is:

$$C_{\text{total}} = 836 \text{ J/K} + 60 \text{ J/K} = 896 \text{ J/K}$$

This total allows us to analyze the temperature changes during heat exchange processes.

Initial Conditions and Assumptions

To analyze the thermal behavior, we consider the following assumptions:

- No heat loss to surroundings: The system is perfectly insulated.
- No phase change: Water remains in liquid form throughout.
- Uniform temperature: Stirrer and water are well mixed, so they share the same temperature at any instant.
- No external heat source or sink: The only energy exchange occurs within the system components.

The initial temperature of the water is 10°C, and initially, the copper can and stirrer are at the same temperature (assuming thermal equilibrium at the

start).

Heat Transfer Dynamics in the System

Since the system is insulated, any heat added or removed causes a change in the internal energy, reflected as a temperature change.

Scenario 1: Heating the System

Suppose an external heat source adds a certain amount of heat, Q , to the system. The change in temperature, ΔT , can be calculated as:

$$Q = C_{\text{total}} \times \Delta T$$

If, for example, 896 J of heat is added:

$$\Delta T = Q / C_{\text{total}} = 896 \text{ J} / 896 \text{ J/K} = 1^\circ\text{C}$$

Thus, the temperature of the entire system (water + can + stirrer) would rise from 10°C to 11°C .

Scenario 2: Cooling or Heat Loss

Similarly, if the system loses heat, the temperature decreases proportionally. For example, losing 448 J would cause:

$$\Delta T = -448 \text{ J} / 896 \text{ J/K} = -0.5^\circ\text{C}$$

The temperature would drop from 10°C to 9.5°C .

Calculating Temperature Changes in Water and System Components

Since the water has a much larger heat capacity than the can and stirrer, its temperature change dominates the system's behavior.

Energy Balance Equation

Assuming no heat transfer to surroundings:

$$Q_{\text{water}} + Q_{\text{can}} + Q_{\text{stirrer}} = 0$$

Expressed in terms of temperature:

$$(m_{\text{water}} \times c_{\text{water}} \times \Delta T_{\text{water}}) + (C_{\text{can_stirrer}} \times \Delta T_{\text{system}}) = 0$$

Given the initial conditions, and assuming the can and stirrer are initially at the same temperature as water, the temperature change of the system components is the same as that of water, adjusted for their heat capacities.

If heat is added or removed, the final temperature T_f can be found by:

$$Q = C_{\text{total}} \times (T_f - T_{\text{initial}})$$

Practical Applications and Experimental Considerations

Understanding this thermal setup is crucial in various practical applications, including:

1. Calorimetry Experiments

- Measuring heat transfer based on temperature changes.
- Using known heat capacities to determine unknown heat quantities.

2. Temperature Control in Chemical Processes

- Ensuring uniform temperature distribution.
- Minimizing temperature gradients during reactions.

3. Engineering Design of Insulated Containers

- Designing systems to minimize heat loss.
- Selecting materials with appropriate heat capacities.

Factors Influencing Heat Transfer in the System

Several factors can affect the rate and extent of heat transfer:

Material Properties

- Copper's high thermal conductivity facilitates rapid heat distribution.
- The stirrer's material can influence how quickly temperature equilibrium is reached.

System Geometry

- Surface area between water and can affects heat exchange efficiency.
- The design of the stirrer (size, shape) impacts mixing and heat distribution.

Initial Conditions

- Temperature difference drives heat flow.
- Larger temperature differences lead to faster heat transfer.

Environmental Conditions

- External temperature and heat loss can alter the system behavior if not perfectly insulated.

Calculations and Numerical Examples

Let's consider a practical example where 500 J of heat is added to the system:

$$Q = 500 \text{ J}$$

Calculate the resulting temperature change:

$$\Delta T = Q / C_{\text{total}} = 500 \text{ J} / 896 \text{ J/K} \approx 0.558^\circ\text{C}$$

Final temperature:

$$T_{\text{final}} = T_{\text{initial}} + \Delta T = 10^\circ\text{C} + 0.558^\circ\text{C} \approx 10.558^\circ\text{C}$$

The water's temperature will rise slightly, and the overall system's temperature will reflect this change.

Conclusion: Key Takeaways

- The combined heat capacity of the copper can and stirrer (60 J/K) plays a significant role in the thermal response of the system.
- The water, with a much larger heat capacity (approximately 836 J/K), predominantly determines the system's temperature change for a given amount of heat added or removed.
- In an insulated environment, heat transfer within the system occurs until thermal equilibrium is achieved, with the temperature of all components aligning.
- Understanding these principles is vital in designing experiments, optimizing industrial processes, and developing efficient thermal management systems.

Further Reading and Resources

- Fundamentals of Heat and Mass Transfer by Frank P. Incropera and David P. DeWitt
- Thermal Properties of Materials by ASM International
- Principles of Thermodynamics by Moran and Shapiro

In summary, analyzing a system composed of a copper can, stirrer, and water involves understanding heat capacities, energy conservation, and the dynamics of heat transfer. Recognizing the dominant role of the water's heat capacity and the influence of system components enables accurate predictions of temperature changes, essential for scientific precision and engineering applications.

Frequently Asked Questions

What is the significance of the total heat capacity being 60 J/K for the copper can and stirrer?

The total heat capacity of 60 J/K indicates the amount of heat required to raise the temperature of the copper can and stirrer combined by one degree Kelvin, helping to determine heat transfer during heating or cooling processes.

How much energy is needed to raise the temperature

of 200g of water from 10°C to 50°C?

Using water's specific heat capacity (4.18 J/g°C), the energy required is $Q = \text{mass} \times \text{specific heat} \times \text{temperature change} = 200\text{g} \times 4.18 \text{ J/g}^\circ\text{C} \times (50^\circ\text{C} - 10^\circ\text{C}) = 200 \times 4.18 \times 40 = 33,440 \text{ J}$.

What is the initial heat content of the water at 10°C?

The initial heat content (thermal energy) of the water can be calculated as $Q = \text{mass} \times \text{specific heat} \times \text{temperature} = 200\text{g} \times 4.18 \text{ J/g}^\circ\text{C} \times 10^\circ\text{C} = 8,360 \text{ J}$.

If the copper can and stirrer are heated until the water reaches 50°C, how much heat is transferred to the system?

The total heat transferred is the sum of the heat absorbed by water and the heat required to raise the can and stirrer's temperature, which can be calculated considering their heat capacities and temperature change.

How does the heat capacity of the copper can and stirrer affect the heating process?

Their heat capacity determines how much heat is needed to change their temperature; a higher heat capacity means they absorb more heat before their temperature rises significantly, affecting the rate and amount of energy transfer to the water.

What is the final temperature of the water and container system if 10,000 J of heat is added?

The final temperature can be found by summing the heat capacities and dividing the heat added: total heat capacity = $60 \text{ J/K} + (200\text{g} \times 4.18 \text{ J/g}^\circ\text{C}) \approx 60 + 836 = 896 \text{ J/K}$. Then, $\Delta T = Q / \text{total heat capacity} = 10,000 \text{ J} / 896 \text{ J/K} \approx 11.16^\circ\text{C}$. The system's temperature increases by about 11.16°C from initial conditions.

What is the temperature of the water after absorbing 15,000 J of heat from 10°C?

Total heat capacity of the water: 836 J/K . Total system heat capacity: $60 + 836 = 896 \text{ J/K}$. Temperature increase: $\Delta T = 15,000 \text{ J} / 896 \text{ J/K} \approx 16.74^\circ\text{C}$. Final temperature: $10^\circ\text{C} + 16.74^\circ\text{C} \approx 26.74^\circ\text{C}$.

Can the system reach thermal equilibrium if heat is continuously supplied, and what factors influence this?

Yes, the system can reach thermal equilibrium when heat input equals heat loss. Factors influencing this include heat capacity, heat transfer rate, and environmental conditions such as ambient temperature.

Why is it important to consider the heat capacity of the container when heating water?

Because the container's heat capacity affects the total heat required to raise the system's temperature and influences the rate at which temperature changes occur during heating.

How can this setup be used to demonstrate thermal physics principles?

It illustrates concepts such as heat transfer, specific heat capacity, the effect of container material on heating, and energy conservation during thermal processes.

Additional Resources

Copper Can

When considering efficient methods of heating water or conducting thermal experiments, the choice of materials and equipment plays a pivotal role in determining energy transfer efficiency, safety, and ease of use. Among the myriad options, a copper can paired with a stirrer presents a compelling combination, especially when designed with a total heat capacity of 60 J/K and used to heat a specific quantity of water. This detailed review explores the properties, functionality, and practical applications of such a setup, focusing on the scenario of heating 200 grams of water at 10°C, dry, using a copper container and stirrer.

Understanding the Components and Their Significance

Copper Can: Material Advantages and Construction

Copper has long been favored in thermal applications due to its exceptional thermal conductivity, high durability, and ease of fabrication. In this context, a copper can serves as an efficient vessel for heating and mixing water, ensuring rapid and uniform temperature changes.

Key features of a copper can include:

- High Thermal Conductivity: Copper's thermal conductivity ($\sim 400 \text{ W/m}\cdot\text{K}$) surpasses most metals, allowing heat to transfer swiftly from the heat source through the can to the water.
- Corrosion Resistance: Properly treated copper resists corrosion, maintaining integrity during repeated heating cycles.
- Lightweight and Durable: Despite its high thermal performance, copper is relatively lightweight and durable, suitable for laboratory and practical applications.
- Design Considerations: The can typically features a snug-fitting lid, handles, and possibly a spout for pouring, all designed to maximize heat transfer efficiency and user convenience.

Implications for Heating:

- Rapid heat transfer reduces energy wastage.
- Uniform heating minimizes temperature gradients within the water.
- Durable construction ensures longevity and consistent performance.

Stirrer: Functionality and Heat Capacity

The stirrer accompanying the copper can isn't merely a mixing tool; in this context, it's specified with a total heat capacity of 60 J/K . This indicates it's designed to absorb and transfer heat efficiently, contributing to the overall thermal dynamics.

Characteristics of the stirrer:

- Material Composition: Likely composed of a metal with high thermal conductivity, such as copper or aluminum, to facilitate effective heat transfer.
- Design: Often a rod or paddle with a handle, capable of stirring the water to ensure uniform temperature distribution.
- Heat Capacity Significance: The heat capacity (60 J/K) quantifies how much energy is needed to raise the stirrer's temperature by 1°C (or 1 K). This value affects how the stirrer influences the system's thermal equilibrium during heating.

Role in the system:

- Promotes homogeneous temperature distribution within the water.
- Acts as an intermediary, absorbing heat from the can and transferring it to the water.
- Its heat capacity influences the total heat balance and the rate at which the water heats up.

Thermal System Overview: Total Heat Capacity and Energy Considerations

Defining Total Heat Capacity

The total heat capacity of a combined system (copper can + stirrer + water) indicates how much heat energy is required to increase the system's temperature by 1°C (or 1 K). In this scenario:

- Can + Stirrer: 60 J/K
- Water: 200 g at 10°C

Since water's specific heat capacity (c) is approximately 4.18 J/g·K, the heat capacity of the water (C_{water}) is:

$$C_{\text{water}} = 200 \text{ g} \times 4.18 \text{ J/g}\cdot\text{K} = 836 \text{ J/K}$$

Total system heat capacity (C_{total}):

$$C_{\text{total}} = C_{\text{can + stirrer}} + C_{\text{water}} = 60 \text{ J/K} + 836 \text{ J/K} = 896 \text{ J/K}$$

This total indicates the energy needed to raise the entire system's temperature by 1°C.

Energy Requirements for Heating Water

Suppose the goal is to heat the water from 10°C to a desired temperature, say 60°C. The energy (Q) required is:

$$Q = C_{\text{total}} \times \Delta T$$

Where:

$$\Delta T = 60^{\circ}\text{C} - 10^{\circ}\text{C} = 50^{\circ}\text{C}$$

Calculating:

$$Q = 896 \text{ J/K} \times 50 \text{ K} = 44,800 \text{ J}$$

This energy accounts for heating the water and the stirrer, with the copper can's contribution being relatively minor in the overall energy requirement but critical for efficient heat transfer.

Practical Application and Performance Analysis

Heat Transfer Efficiency

The choice of copper as the container material significantly enhances heat transfer efficiency. Its high thermal conductivity ensures minimal heat loss and uniform temperature distribution within the water, especially when combined with effective stirring.

Benefits include:

- **Rapid Heating:** Copper's rapid heat conduction reduces the time needed to reach target temperatures.
- **Uniform Temperature:** Stirring ensures the heat is evenly distributed, preventing temperature gradients.
- **Energy Conservation:** Efficient heat transfer minimizes energy wastage, making the process more sustainable and cost-effective.

Impact of the Stirrer's Heat Capacity

The stirrer's heat capacity of 60 J/K, though small relative to the water's capacity, still influences the thermal dynamics:

- **Thermal Buffer:** The stirrer can absorb or release heat during stirring, slightly affecting the temperature change rate.
- **Temperature Lag:** When heating begins, the stirrer may momentarily lag in temperature adjustment, but this is typically negligible in most practical scenarios.
- **System Stability:** The stirrer's thermal inertia helps dampen temperature fluctuations, providing a more stable heating process.

Operational considerations:

- Ensuring the stirrer is initially at room temperature or preheated to match the target temperature can improve efficiency.
- Stirring at regular intervals promotes uniformity and prevents hot spots.

Safety and Handling Considerations

- Material Safety: Copper can leach into water over time; however, in controlled applications and with proper maintenance, this is minimal.
- Temperature Limits: Given the high thermal conductivity, the can can heat rapidly. Users should monitor temperatures and avoid thermal shocks that could cause deformation or damage.
- Handling: The stirrer and can can become hot during operation. Proper insulation and heat-resistant gloves are recommended to prevent burns.
- Cleaning: Regular cleaning prevents corrosion and contamination, especially if used for different liquids.

Applications in Educational and Laboratory Settings

This copper can-stirrer setup is ideal for a variety of applications:

- Thermal Experiments: Measuring specific heat capacities, heat transfer rates, or thermal conductivity.
- Educational Demonstrations: Showing principles of heat transfer, conduction, and convection.
- Laboratory Testing: Heating water samples for chemical reactions or biological processes where precise temperature control is crucial.
- Cooking or Food Preparation: Small-scale heating that benefits from rapid and even heat distribution.

Conclusion: An Optimal Solution for Efficient Heating

The combination of a copper can with a stirrer of total heat capacity 60 J/K, used to heat 200 g of water from 10°C, exemplifies an efficient, reliable,

and practical thermal system. The high thermal conductivity of copper ensures rapid and uniform heating, while the stirrer's design promotes homogeneity and stability. The calculated total heat capacity of approximately 896 J/K underscores the importance of accounting for all components when planning energy input strategies.

In summary, this setup not only provides a robust platform for heating water in various settings but also serves as an excellent educational tool for understanding fundamental thermal principles. Its thoughtful design balances material properties, thermal dynamics, and user safety, making it a noteworthy choice for both professional and educational applications.

Final Remarks:

When selecting equipment for heating water, consider the material's thermal properties, the system's total heat capacity, and operational safety. The copper can-stirrer combination, with its high efficiency and durability, stands out as an exemplary solution in numerous scenarios. Proper understanding and management of the thermal characteristics ensure optimal performance, safety, and learning outcomes.

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