

# Fill In The Blank When $F(x) = -|x|$ Is Graphed On A Regular Coordinate Grid, The Graph Forms A(n) \_\_\_\_\_

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## Introduction to the Graph of $F(x) = -|x|$

Understanding the graph of the function  $f(x) = -|x|$  is fundamental in algebra and coordinate geometry. This function is a reflection of the basic absolute value function  $y = |x|$  across the x-axis. When plotted on a standard Cartesian coordinate grid, it creates a distinctive V-shaped graph that opens downward. This article explores the characteristics of this graph, the shape it forms, and how to analyze its properties comprehensively.

## Understanding the Absolute Value Function

### What Is the Absolute Value?

The absolute value of a real number  $x$ , denoted  $|x|$ , represents its distance from zero on the number line, regardless of direction. It is always non-negative:

- $|x| \geq 0$  for all real  $x$
- $|x| = x$  if  $x \geq 0$
- $|x| = -x$  if  $x < 0$

### The Basic Graph of $y = |x|$

The graph of  $y = |x|$  is a V-shaped figure with:

- The vertex at the origin  $(0,0)$
- Two linear pieces:
  - $y = x$  for  $x \geq 0$
  - $y = -x$  for  $x \leq 0$

This creates a symmetric shape with respect to the y-axis and opens upward.

## Transforming the Absolute Value Function: $F(x)$

$$= -|x|$$

## Reflection Across the X-Axis

The function  $f(x) = -|x|$  is a transformation of  $y = |x|$ :

- It reflects the graph of  $y = |x|$  across the x-axis.
- The vertex remains at the origin.
- The shape is still V-shaped but opens downward instead of upward.

## Graphical Characteristics of $F(x) = -|x|$

- The vertex is at  $(0,0)$ .
- For  $x \geq 0$ ,  $f(x) = -x$ , which is a straight line declining from the vertex.
- For  $x \leq 0$ ,  $f(x) = -(-x) = x$ , which is a straight line increasing to the left.
- The graph is symmetric with respect to the y-axis.

## The Shape of the Graph and Its Classification

### What Shape Does $F(x) = -|x|$ Form?

The graph of  $y = -|x|$  is a "V" shape opening downward. This shape is characteristic of functions involving absolute value and their transformations.

### Is the Graph a Line, Curve, or Something Else?

- The graph is composed of two straight lines meeting at a point (the vertex).
- It is a piecewise linear graph with a sharp vertex at the origin.
- The overall shape resembles a downward-opening "V".

## Classification of the Graph

### Is It a Line or a Curve?

- It is neither a single straight line nor a smooth, curved function.
- It is a piecewise linear graph with two linear segments.

## What Geometric Shape Does It Resemble?

- The graph forms a "V" shape, which is a polygonal shape composed of two line segments meeting at a vertex.

## Filling in the Blank: The Shape Formed by the Graph

### Summary of Key Points

- The graph of  $y = -|x|$  forms a "V" shape.
- It is a union of two straight lines meeting at the vertex.
- The shape is symmetric about the y-axis.
- It opens downward due to the negative sign.

### Answer to the Fill-in-the-Blank

Fill In The Blank When  $F(x) = -|x|$  Is Graphed On A Regular Coordinate Grid, The Graph Forms A(n) V

## Deeper Analysis: Properties of the Graph

### Vertex and Axis of Symmetry

- The vertex is at  $(0, 0)$ .
- The axis of symmetry is the y-axis ( $x = 0$ ).

### Intercepts

- Y-intercept: At  $(0, 0)$ , since  $f(0) = -|0| = 0$ .
- X-intercepts: Also at  $(0, 0)$ , as the vertex lies on both axes.

### Slope of the Lines

- For  $x \geq 0$ , the slope is  $-1$ .
- For  $x \leq 0$ , the slope is  $1$ .

## Applications and Significance

## Understanding Piecewise Linear Functions

- Functions like  $y = -|x|$  serve as fundamental examples of piecewise functions.
- They help in understanding transformations, symmetry, and geometric interpretations.

## Modeling Real-World Situations

- Such graphs can model phenomena with a maximum point at the vertex, decreasing linearly on either side.
- Examples include profit/loss diagrams, reflection models, or any scenario involving symmetry and linear decline.

## Conclusion: Recognizing the Shape in Context

The graph of  $f(x) = -|x|$ , when plotted on a standard coordinate grid, unmistakably forms a "V" shape. Its symmetry, linear segments, and vertex make it a classic example in algebra and coordinate geometry for illustrating transformations of functions, symmetry, and piecewise linear graphs. Recognizing this shape is fundamental for solving related problems, analyzing functions, and understanding how transformations affect graphs.

In summary, the graph of  $f(x) = -|x|$  forms a(n) V shape, a simple yet powerful illustration of how absolute value functions behave under transformation and how geometry and algebra intersect visually on the coordinate plane.

## Frequently Asked Questions

**What type of graph is formed when  $f(x) = -|x|$  is graphed on a coordinate plane?**

A V-shaped graph that opens downward.

**When graphing  $f(x) = -|x|$ , what is the shape of the graph?**

A parabola-like shape, specifically a downward V.

**In the function  $f(x) = -|x|$ , what does the negative sign indicate about the graph's orientation?**

It reflects the graph across the x-axis, making it open downward.

**When  $f(x) = -|x|$  is graphed, the shape is called a \_\_\_\_\_?**

V-shaped graph.

**The graph of  $f(x) = -|x|$  is symmetric about which axis?**

The y-axis.

**What is the general name for the shape formed by the graph of  $f(x) = -|x|$ ?**

A absolute value graph, specifically a downward V.

**When graphed,  $f(x) = -|x|$  forms a \_\_\_\_\_**

V-shaped graph.

**Is the graph of  $f(x) = -|x|$  considered a linear or nonlinear graph?**

Nonlinear.

**On a coordinate grid, the graph of  $f(x) = -|x|$  forms a \_\_\_\_\_**

V.

## **Additional Resources**

Fill In The Blank When  $F(x) = -|x|$  Is Graphed On A Regular Coordinate Grid, The Graph Forms A(n) \_\_\_\_\_

Understanding the graph of functions is fundamental in algebra and calculus, offering visual insights into the behavior of various equations. One particular function,  $f(x) = -|x|$ , provides an intriguing case study due to its absolute value component and reflection properties. When graphed on a standard coordinate grid, the shape it forms is both distinctive and informative, revealing key geometric and algebraic characteristics.

In this comprehensive analysis, we will explore the function  $f(x) = -|x|$ , examine how it behaves, and ultimately determine the geometric figure it forms when plotted on a regular Cartesian plane. Our discussion will encompass the definition of absolute value functions, the transformation applied to the basic absolute value graph, the properties of the resulting

graph, and the precise terminology used to describe its shape.

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## Understanding the Absolute Value Function

Before delving into the specific function  $f(x) = -|x|$ , it is essential to understand the foundational concept of the absolute value function.

### Definition of Absolute Value

- The absolute value of a real number  $x$ , denoted as  $|x|$ , is the non-negative value of  $x$ , regardless of its sign.
- Mathematically:
  - If  $x \geq 0$ , then  $|x| = x$ .
  - If  $x < 0$ , then  $|x| = -x$ .
- Geometrically,  $|x|$  represents the distance of  $x$  from zero on the number line.

### Graph of the Basic Absolute Value Function

- The graph of  $f(x) = |x|$  is a "V" shape with its vertex at the origin  $(0,0)$ .
- The two arms of the "V" are linear:
  - For  $x \geq 0$ , the graph is the line  $y = x$ .
  - For  $x < 0$ , the graph is the line  $y = -x$ .
- The graph is symmetric with respect to the y-axis, showcasing even symmetry.

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## Transformations of the Absolute Value Graph

The function  $f(x) = -|x|$  involves a transformation of the basic  $|x|$  graph. Understanding these transformations is key to visualizing the resulting graph.

### Reflection About the X-Axis

- The negative sign in front of  $|x|$  causes a reflection of the graph across the x-axis.
- Instead of opening upward, the graph opens downward.

- This transformation turns the "V" shape into an inverted "V."

## Combined Effect on the Graph

- The original  $f(x) = |x|$  with its vertex at  $(0,0)$  is reflected across the x-axis.
- The resulting graph has a vertex at  $(0,0)$ , but now points downward.
- The slope of the arms remains  $\pm 1$ , but their orientation is inverted.

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## Graphing $f(x) = -|x|$ on a Coordinate Grid

With the transformations in mind, plotting  $f(x) = -|x|$  results in a specific geometric shape.

### Key Features of the Graph

- Vertex: Located at  $(0, 0)$ , the point where the two arms meet.
- Shape: An inverted "V," symmetric with respect to the y-axis.
- Arms: Two straight lines:
  - For  $x \geq 0$ , the line  $y = -x$ .
  - For  $x < 0$ , the line  $y = x$ .
- Domain: All real numbers  $(-\infty, \infty)$ .
- Range: All real numbers  $y \leq 0$ .
- Symmetry: Even function, symmetric across the y-axis.

### Plotting Steps

1. Plot the vertex at  $(0,0)$ .
2. Draw the right arm: A straight line decreasing from  $(0,0)$  to the right, with slope  $-1$ .
3. Draw the left arm: A straight line decreasing from  $(0,0)$  to the left, with slope  $1$ .
4. Label axes and points for clarity.

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## Identifying the Geometric Shape

The shape formed by  $f(x) = -|x|$  on a regular coordinate grid is more than

just a "V"—it is a well-known geometric figure.

## **Shape: An Inverted V**

- The graph resembles a "V" shape turned upside down.
- The vertex is at the origin, with the arms extending infinitely outward.
- The shape exhibits symmetry about the y-axis, with both arms being mirror images.

## **Is it a Polygon? A Special Geometric Figure?**

- The graph consists of two straight line segments joined at a vertex.
- These segments are linear and continuous.
- The overall shape is a polygon, specifically a triangle if viewed as a closed figure with the vertex and two endpoints at infinity.

## **Why a Triangle? Clarifying the Geometric Classification**

- When considering the finite portion, the shape can be approximated as a triangle with:
  - The vertex at  $(0, 0)$ .
  - The two arms extending infinitely, but if we restrict the view to a finite x-range, it looks like a triangle.
  - The classic graph, however, is best described as a "V" shape—a type of angle or linear figure.

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## **Terminology: What Shape Does the Graph Form?**

Based on the geometric features, the shape can be classified in multiple ways, depending on context:

## **In the Context of Basic Graphs**

- The graph of  $f(x) = -|x|$  forms a "V" shape.
- The "V" shape is a piecewise linear graph with a vertex at  $(0,0)$ .

## In Terms of Geometric Figures

- The graph forms a "V", which is an angle between two lines.
- The figure is a "V" shaped figure or an angle with vertex at the origin.

## In Polygonal Terms

- When considering the finite segments, it can be viewed as a polygonal shape, specifically, two line segments meeting at a vertex.
- In the strictest sense, the graph does not form a closed polygon like a triangle or square because it extends infinitely in both directions.

## In the Context of 2D Geometry

- The shape is classified as a "V" shape, which is a common geometric figure used to describe angles, not polygons.

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## Conclusion: Filling in the Blank

Given the analysis above, the most accurate and comprehensive way to fill in the blank is:

When  $f(x) = -|x|$  is graphed on a regular coordinate grid, the graph forms a(n) "V" shape.

Alternatively, if the context emphasizes geometric classification:

When  $f(x) = -|x|$  is graphed on a regular coordinate grid, the graph forms a(n) "angle" or a "V-shaped figure".

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## Additional Insights and Applications

Understanding the shape of  $f(x) = -|x|$  has practical and theoretical significance.

- In Algebra: Recognizing absolute value functions as "V" shaped helps in solving inequalities and understanding piecewise functions.
- In Geometry: The "V" shape represents angles, making it useful in studying

slopes, slopes of lines, and angles between lines.

- In Calculus: The vertex point at (0,0) is a point of non-differentiability, illustrating concepts of cusps or sharp points in graphs.
- In Real-world Modeling: The graph can model situations where a quantity decreases symmetrically from a peak, such as in certain physics or economics models.

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## Summary

- The function  $f(x) = -|x|$  is a reflection of the basic absolute value function across the x-axis.
- Its graph is a symmetric, "V" shaped figure opening downward.
- The shape is best described as a "V" shape, representing an angle formed by two straight lines meeting at a vertex.
- When asked to fill in the blank: "When  $f(x) = -|x|$  is graphed on a regular coordinate grid, the graph forms a(n) 'V'."

This understanding enhances comprehension of absolute value functions, their transformations, and their geometric representations, forming a cornerstone of algebraic and geometric literacy.

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In essence, the complete statement is:

Fill In The Blank When  $F(x) = -|x|$  Is Graphed On A Regular Coordinate Grid, The Graph Forms A(n) "V"

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