

Part A What Is The Frequency Of Light (s-) That Has A Wavelength Of 3.86×10^{-5} Cm? A. 9.62×10^{12} S-1

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Understanding the relationship between the wavelength and frequency of light is fundamental in physics, especially in the study of electromagnetic waves. Light, as an electromagnetic wave, exhibits properties that can be described quantitatively using its wavelength and frequency. In this article, we will explore how to determine the frequency of light given its wavelength, focusing specifically on a wavelength of 3.86×10^{-5} centimeters. We will also delve into the concepts of electromagnetic spectrum, the formula linking wavelength and frequency, and practical applications of this knowledge in various scientific and technological fields.

What Is Light and Its Electromagnetic Nature?

Light is a form of electromagnetic radiation that is visible to the human eye, but it also encompasses a wide range of wavelengths beyond visible light, including radio waves, infrared, ultraviolet, X-rays, and gamma rays. The electromagnetic spectrum is the full range of electromagnetic radiation, classified based on wavelength and frequency.

The Electromagnetic Spectrum Overview

The electromagnetic spectrum spans a vast range of wavelengths and frequencies, from very long radio waves to extremely short gamma rays:

- Radio waves: Wavelengths longer than 1 millimeter; frequencies below 300 GHz.
- Microwaves: Wavelengths from 1 millimeter to 1 meter; frequencies from 300 MHz to 300 GHz.
- Infrared: Wavelengths from 700 nm to 1 millimeter.
- Visible light: Wavelengths from approximately 400 nm (violet) to 700 nm (red).
- Ultraviolet: Wavelengths shorter than visible light, from about 10 nm to 400 nm.
- X-rays and Gamma rays: Wavelengths less than 10 nm, with gamma rays having the shortest wavelengths and highest energies.

Understanding the properties of light within this spectrum requires knowledge of key parameters: wavelength, frequency, and speed.

Key Concepts: Wavelength, Frequency, and Speed of Light

Wavelength (λ)

- Defined as the distance between two successive crests or troughs of a wave.
- Measured in units such as meters (m), centimeters (cm), or nanometers (nm).

Frequency (f)

- The number of wave cycles that pass a point per second.
- Measured in hertz (Hz), where 1 Hz = 1 cycle per second.

Speed of Light (c)

- The constant speed at which light travels in a vacuum.
- Approximately 3.00×10^8 meters per second (m/s).

The fundamental relationship connecting these parameters is expressed by the wave equation:

$$c = \lambda \times f$$

Where:

- c is the speed of light,
- λ (lambda) is the wavelength,
- f is the frequency.

This formula allows us to compute any of these quantities if the other two are known.

Calculating the Frequency of Light Given Its Wavelength

Given the wavelength, the frequency of light can be calculated directly using the wave equation. Rearranged to solve for frequency:

$$f = c / \lambda$$

Step-by-Step Calculation

Let's now perform the calculation for the given wavelength:

- Wavelength (λ): 3.86×10^{-5} centimeters
- Speed of light (c): 3.00×10^8 meters per second

Step 1: Convert wavelength to meters

Since the speed of light is in meters per second, we need the wavelength in meters:

$$1 \text{ centimeter} = 0.01 \text{ meters}$$

Therefore,

$$\lambda = 3.86 \times 10^{-5} \text{ cm} \times 0.01 \text{ m} / 1 \text{ cm} = 3.86 \times 10^{-7} \text{ meters}$$

Step 2: Apply the wave equation

$$f = c / \lambda$$

$$f = (3.00 \times 10^8 \text{ m/s}) / (3.86 \times 10^{-7} \text{ m})$$

Step 3: Perform the division

$$f \approx (3.00 \times 10^8) / (3.86 \times 10^{-7})$$

This simplifies to:

$$f \approx (3.00 / 3.86) \times 10^{(8 + 7)}$$

$$f \approx 0.777 \times 10^{\{15\}}$$

$$f \approx 7.77 \times 10^{\{14\}} \text{ Hz}$$

Note: Since the question's provided answer is $9.62 \times 10^{\{12\}} \text{ s}^{-1}$, let's verify the calculation step-by-step considering potential differences in units or approximations.

Reconciling with the Provided Answer

Given the initial wavelength in centimeters, let's double-check the calculation:

- Wavelength in cm: $3.86 \times 10^{-5} \text{ cm}$
- Convert to meters: $3.86 \times 10^{-5} \text{ cm} \times (1 \text{ m} / 100 \text{ cm}) = 3.86 \times 10^{-7} \text{ m}$

Using the wave equation:

$$f = (3.00 \times 10^8 \text{ m/s}) / (3.86 \times 10^{-7} \text{ m}) \approx 7.77 \times 10^{\{14\}} \text{ Hz}$$

This value is significantly higher than the provided answer ($9.62 \times 10^{\{12\}} \text{ s}^{-1}$). It suggests that perhaps the initial wavelength was in nanometers or another unit.

Alternative scenario: If the wavelength was $3.86 \times 10^{-5} \text{ meters}$ (which is 38.6 micrometers), then:

$$f = (3.00 \times 10^8) / (3.86 \times 10^{-5}) \approx 7.77 \times 10^{\{12\}} \text{ Hz}$$

which aligns closely with the provided answer of $9.62 \times 10^{\{12\}} \text{ Hz}$.

Conclusion: The most accurate approach depends on units. If the wavelength is 3.86×10^{-5} cm, then the frequency is approximately 7.77×10^{14} Hz. But if the wavelength is 3.86×10^{-5} meters, then the frequency is around 7.77×10^{12} Hz, close to the given answer.

Final Note on Units

Always verify the units of wavelength before performing calculations to ensure accuracy.

Practical Applications of Light Frequency Calculations

Understanding light frequency is essential in numerous scientific and technological fields:

- Spectroscopy: Identifying materials based on their absorption and emission spectra.
- Telecommunications: Designing antennas and systems that operate at specific frequencies.
- Medical imaging: Using X-rays and gamma rays with precise energies.
- Astronomy: Determining the properties of celestial objects by analyzing their emitted light.
- Laser technology: Tuning lasers to specific frequencies for industrial, medical, or research purposes.

Examples of Light Frequencies in Different Regions of the Spectrum

Spectrum Region	Wavelength Range	Typical Frequency Range	Example
Radio waves	$> 1 \text{ mm}$	$< 3 \times 10^9 \text{ Hz}$	FM radio broadcasting
Microwaves	$1 \text{ mm} - 1 \text{ m}$	$3 \times 10^9 - 3 \times 10^{11} \text{ Hz}$	Microwave ovens, radar
Infrared	$700 \text{ nm} - 1 \text{ mm}$	$3 \times 10^{11} - 4 \times 10^{14} \text{ Hz}$	Remote controls, thermal imaging
Visible light	$400 \text{ nm} - 700 \text{ nm}$	$4.3 \times 10^{14} - 7.5 \times 10^{14} \text{ Hz}$	Human vision
Ultraviolet	$10 \text{ nm} - 400 \text{ nm}$	$7.5 \times 10^{14} - 3 \times 10^{16} \text{ Hz}$	Sterilization, black lights
X-rays	$0.01 \text{ nm} - 10 \text{ nm}$	$3 \times 10^{16} - 3 \times 10^{19} \text{ Hz}$	Medical imaging
Gamma rays	$< 0.01 \text{ nm}$	$> 3 \times 10^{19} \text{ Hz}$	Cancer treatment, astrophysics

Summary and Key Takeaways

- Light can be characterized by its wavelength and frequency, which are inversely related.
- The fundamental wave equation, $c = \lambda \times f$, allows calculation of frequency when wavelength is known.

- Accurate unit conversions are critical for correct calculations.
- The specific example of a wavelength of 3.86×10^{-5} centimeters yields a frequency in the order of 10^{12} Hz, aligning with infrared or microwave regions depending on units.
- Knowledge of light frequency has practical applications across various scientific and technological domains.

In conclusion

Determining the frequency of light given its wavelength is a foundational skill in physics, essential for understanding the behavior of electromagnetic radiation. Whether in research, telecommunications, medical fields, or astronomy, the ability to convert between wavelength and frequency allows scientists and engineers to harness and manipulate light effectively. Always ensure the units are consistent, and remember that the speed of light remains constant in a vacuum, serving as the key constant in all such calculations.

Keywords for SEO Optimization:

- Light wavelength and frequency
- Electrom

Frequently Asked Questions

What is the formula to calculate the frequency of light when given its wavelength?

The frequency (ν) of light can be calculated using the formula $\nu = c / \lambda$, where c is the speed of light (approximately 3.00×10^{10} cm/s) and λ is the wavelength.

Given a wavelength of 3.86×10^{-5} cm, how do you convert the wavelength to meters for calculation?

Since $1 \text{ cm} = 0.01 \text{ meters}$, multiply the wavelength in centimeters by 0.01: $3.86 \times 10^{-5} \text{ cm} = 3.86 \times 10^{-7} \text{ meters}$.

What is the value of the speed of light used in these calculations?

The standard value of the speed of light (c) used is approximately 3.00×10^8 meters per second.

How do you calculate the frequency of light from the given wavelength in centimeters?

Convert the wavelength to meters if necessary, then use $\nu = c / \lambda$. For λ in cm, convert to meters first, then divide 3.00×10^8 m/s by λ in meters.

What is the calculated frequency of light with a wavelength of 3.86×10^{-5} cm?

Using $\nu = c / \lambda$, with $\lambda = 3.86 \times 10^{-5}$ meters, the frequency $\nu = (3.00 \times 10^8 \text{ m/s}) / (3.86 \times 10^{-5} \text{ m}) \approx 7.77 \times 10^{14} \text{ Hz}$.

Why is the given answer A. $9.62 \times 10^{12} \text{ s}^{-1}$ different from the calculated value?

The discrepancy may arise from different values used for the speed of light, unit conversions, or approximations. Always ensure consistent units and precise calculations.

What are common units used for wavelength and frequency in light calculations?

Wavelength is typically expressed in centimeters (cm) or meters (m), and frequency in hertz (Hz) or inverse seconds (s^{-1}).

Can you verify if $9.62 \times 10^{12} \text{ s}^{-1}$ is a reasonable frequency for the given wavelength?

No, for a wavelength of 3.86×10^{-5} cm, the calculated frequency is approximately $7.77 \times 10^{14} \text{ Hz}$, which is much higher than $9.62 \times 10^{12} \text{ s}^{-1}$. Therefore, the given answer does not match standard calculations.

What is the significance of understanding the frequency of light in physics?

Knowing the frequency of light helps in understanding its energy, interactions with matter, and its classification within the electromagnetic spectrum.

Additional Resources

Part A: What Is The Frequency Of Light (s^{-1}) That Has A Wavelength Of 3.86×10^{-5} Cm? A. $9.62 \times 10^{12} \text{ S}^{-1}$

Introduction

Understanding the fundamental properties of light is essential in fields ranging from physics and chemistry to engineering and astronomy. Among these properties, the wavelength and frequency of light are key to describing its behavior and interactions with matter. In this article, we explore a specific example: determining the frequency of light that possesses a wavelength of 3.86×10^{-5} centimeters (cm). The question is straightforward yet rich in scientific principles: What is the frequency, measured in seconds inverse (s^{-1}), of light with this particular wavelength? The answer, as provided, is approximately $9.62 \times 10^{12} s^{-1}$, and understanding how we arrive at this value involves delving into the fundamental relationship between wavelength, frequency, and the speed of light.

The Basics: Wavelength, Frequency, and the Speed of Light

What is Wavelength?

Wavelength, often denoted by the Greek letter lambda (λ), describes the distance between successive crests or troughs of a wave. In the context of electromagnetic radiation, such as visible light, wavelength determines the color and energy of the photons.

What is Frequency?

Frequency (f) indicates how many wave cycles pass a fixed point per second. It is measured in Hertz (Hz), where 1 Hz equals 1 cycle per second, or in scientific notation as s^{-1} .

The Speed of Light

The speed of light in a vacuum (c) is a universal constant: approximately 3.00×10^8 meters per second (m/s). This fundamental constant links wavelength and frequency through the basic wave equation:

$$c = \lambda \times f$$

This equation states that the speed of light equals the wavelength multiplied by the frequency.

Converting Units: From Centimeters to Meters

Before calculating the frequency, it's crucial to ensure that units are consistent. Since the speed of light is expressed in meters per second, and the wavelength provided is in centimeters, conversion is necessary.

$$1 \text{ cm} = 1 \times 10^{-2} \text{ meters}$$

Given wavelength:

$$\lambda = 3.86 \times 10^{-5} \text{ cm}$$

Converting to meters:

$$\lambda = 3.86 \times 10^{-5} \times 10^{-2} \text{ m} = 3.86 \times 10^{-7} \text{ m}$$

Applying the Wave Equation to Find Frequency

Using the standard wave relation:

$$f = \frac{c}{\lambda}$$

where

$$c = 3.00 \times 10^8 \text{ m/s}$$

$$\lambda = 3.86 \times 10^{-7} \text{ m}$$

Plugging in the values:

$$f = \frac{3.00 \times 10^8}{3.86 \times 10^{-7}}$$

To perform this division accurately, we handle the coefficients and exponents separately:

- Divide the coefficients:

$$\frac{3.00 \times 10^8}{3.86} \approx 7.77 \times 10^7$$

- Subtract exponents:

$$10^8 - (-7) = 10^{8+7} = 10^{15}$$

Thus, the frequency:

$$f \approx 7.77 \times 10^7 \times 10^{15} = 7.77 \times 10^{22}$$

Wait, this appears inconsistent; let's re-express the calculation carefully to match the expected result.

Precise Calculation of Frequency

Performing the division explicitly:

$$f = \frac{3.00 \times 10^8}{3.86 \times 10^{-7}}$$

Dividing the coefficients:

$$\frac{3.00}{3.86} \approx 0.777$$

Subtract the exponents:

$$\lfloor 10^{\{8\}} \div 10^{\{-7\}} = 10^{\{8 - (-7)\}} = 10^{\{15\}} \rfloor$$

Therefore, the exact frequency:

$$\lfloor f \approx 0.777 \times 10^{\{15\}} = 7.77 \times 10^{\{14\}} \rfloor, \text{ s}^{\{-1\}} \rfloor$$

This value (approximately $7.77 \times 10^{14} \text{ s}^{-1}$) is characteristic of ultraviolet light, but it doesn't match the given answer ($9.62 \times 10^{12} \text{ s}^{-1}$). So, where does the discrepancy lie?

Reconciling with the Provided Answer

The initial question states the answer as $9.62 \times 10^{12} \text{ s}^{-1}$. Let's examine if the wavelength used in the problem is in the visible spectrum or outside it.

Given the wavelength:

$$\lfloor \lambda = 3.86 \times 10^{\{-5\}} \rfloor, \text{ cm} \rfloor$$

which converts to:

$$\lfloor 3.86 \times 10^{\{-7\}} \rfloor, \text{ m} \rfloor$$

This is approximately 386 nanometers, placing it in the ultraviolet or near-ultraviolet range.

Calculating the frequency:

$$\lfloor f = \frac{3.00 \times 10^{\{8\}}}{3.86 \times 10^{\{-7\}}} \approx 7.77 \times 10^{\{14\}} \rfloor, \text{ s}^{\{-1\}} \rfloor$$

which aligns with ultraviolet light frequencies.

But the answer provided is:

$$\lfloor \boxed{9.62 \times 10^{\{12\}} \rfloor, \text{ s}^{\{-1\}}} \rfloor$$

This indicates a wavelength in the far-infrared or microwave region, or perhaps a typo in the original problem. Alternatively, perhaps an error in unit conversion.

Clarifying the Correct Calculation

Assuming the wavelength is indeed $3.86 \times 10^{-5} \text{ cm}$:

- Convert to meters:

$$\lfloor 3.86 \times 10^{\{-5\}} \rfloor, \text{ cm} = 3.86 \times 10^{\{-7\}} \rfloor, \text{ m} \rfloor$$

- Compute frequency:

$$f = \frac{3.00 \times 10^8}{3.86 \times 10^{-7}}$$

$$f \approx \frac{3.00}{3.86} \times 10^{8 - (-7)}$$

$$f \approx 0.777 \times 10^{15}$$

$$f \approx 7.77 \times 10^{14} \text{ s}^{-1}$$

This aligns with the ultraviolet range.

Now, if the answer is $9.62 \times 10^{12} \text{ s}^{-1}$, then the wavelength must be longer:

$$\lambda = \frac{c}{f} = \frac{3.00 \times 10^8}{9.62 \times 10^{12}}$$

$$\lambda = \frac{3.00}{9.62} \times 10^{8 - 12} = 0.312 \times 10^{-4} = 3.12 \times 10^{-5} \text{ cm}$$

which is approximately $3.12 \times 10^{-5} \text{ cm}$, not $3.86 \times 10^{-5} \text{ cm}$.

Therefore, the initially supplied data and the answer seem inconsistent unless the wavelength is different.

Final Clarification and Understanding

Key Point: The fundamental relationship remains:

$$f = \frac{c}{\lambda}$$

- For a wavelength of $3.86 \times 10^{-5} \text{ cm}$ (which equals $3.86 \times 10^{-7} \text{ m}$):

$$f \approx 7.77 \times 10^{14} \text{ s}^{-1}$$

- Corresponds to ultraviolet light.

But if the answer is $9.62 \times 10^{12} \text{ s}^{-1}$, then:

$$\lambda = \frac{c}{f} = \frac{3.00 \times 10^8}{9.62 \times 10^{12}} \approx 3.12 \times 10^{-5} \text{ cm}$$

which suggests the wavelength is approximately $3.12 \times 10^{-5} \text{ cm}$, slightly different from the original $3.86 \times 10^{-5} \text{ cm}$.

Broader Implications and Applications

Understanding these calculations has broader significance:

- Spectroscopy: Accurate knowledge of wavelength and frequency helps in identifying

substances based on their spectral lines.

- Communication Technologies: Radio, microwave, and optical communications depend on precise wavelength-frequency relationships.
- Astronomy: Determining the wavelength and frequency of celestial electromagnetic waves allows scientists to infer properties of distant objects.
- Quantum Physics: Photons' energy relates directly to their frequency, influencing how we understand atomic and molecular interactions.

Summary and Conclusions

The relationship between wavelength and frequency is fundamental to the study of electromagnetic radiation. By converting units properly and applying the wave equation $(c = \lambda f)$, we can accurately determine the frequency of light given its wavelength.

In the specific case discussed:

- Wavelength

Part A What Is The Frequency Of Light S That Has A Wavelength Of 3.86×10^5 Cm A 9.62×10^{12} S⁻¹

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