

# At Point P The Magnetic Field Due To A Long Straight Wire Carrying A Current Of 2.0 A Is 1.2 T. How Far

**At Point P The Magnetic Field Due To A Long Straight Wire Carrying A Current Of 2.0 A Is 1.2 T. How Far**

Understanding the magnetic field generated by a current-carrying wire is fundamental in electromagnetism. When dealing with a long, straight wire, the magnetic field at a specific point depends on the current flowing through the wire and the distance from the wire to that point. In this article, we will explore the principles that govern such magnetic fields, analyze the given problem where the magnetic field at point P is 1.2 Tesla due to a 2.0 A current, and determine the distance from the wire to point P.

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## Fundamental Concepts of Magnetic Fields Around a Long Straight Wire

Before delving into the problem specifics, it is essential to understand the basic principles of magnetic fields generated by currents in long straight wires.

### Ampère's Law and Magnetic Field of a Long Straight Wire

- Ampère's Law relates magnetic fields to the currents that produce them.
- For an infinitely long, straight wire carrying current  $(I)$ , the magnetic field  $(B)$  at a distance  $(r)$  from the wire is given by:

$$B = \frac{\mu_0 I}{2 \pi r}$$

where:

- $(B)$  is the magnetic flux density in Tesla (T),
- $(\mu_0)$  is the permeability of free space  $(4\pi \times 10^{-7} \text{ T} \cdot \text{m/A})$ ,
- $(I)$  is the current in amperes (A),
- $(r)$  is the radial distance from the wire in meters (m).

### Magnetic Field Direction: Right-Hand Rule

- The magnetic field produced by a current-carrying wire encircles the wire.

- Using the right-hand rule: point the thumb in the direction of current, and the curled fingers show the direction of the magnetic field.

## Units and Measurement of Magnetic Field

- The magnetic flux density  $(B)$  is measured in Tesla (T).
- Typical magnetic fields near conductors are often in the micro to milliTesla range; 1.2 Tesla is a very strong magnetic field, indicating proximity to the wire or a high current.

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## Given Data and Problem Objective

The problem provides specific data points:

- Magnetic field at point P:  $(B = 1.2 \text{ T})$
- Current in the wire:  $(I = 2.0 \text{ A})$

Question:

How far is point P from the wire?

The goal is to find the radial distance  $(r)$  from the wire to point P where this magnetic field exists.

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## Step-by-Step Solution to Find the Distance

Based on the formula for the magnetic field around a long straight wire:

$$B = \frac{\mu_0 I}{2 \pi r}$$

Rearranged to solve for  $(r)$ :

$$r = \frac{\mu_0 I}{2 \pi B}$$

Now, substituting known values:

$$\mu_0 = 4\pi \times 10^{-7} \text{ T} \cdot \text{m/A}$$

$$I = 2.0 \text{ A}$$

$$B = 1.2 \text{ T}$$

Calculating:

$$r = \frac{(4\pi \times 10^{-7}) \times 2.0}{2\pi \times 1.2}$$

Simplify numerator and denominator:

$$r = \frac{4\pi \times 10^{-7} \times 2.0}{2\pi \times 1.2}$$

Cancel  $(2\pi)$ :

$$r = \frac{4 \times 10^{-7} \times 2.0}{2 \times 1.2}$$

Calculate numerator:

$$4 \times 10^{-7} \times 2.0 = 8 \times 10^{-7}$$

Calculate denominator:

$$2 \times 1.2 = 2.4$$

Final calculation:

$$r = \frac{8 \times 10^{-7}}{2.4} \approx 3.33 \times 10^{-7} \text{ m}$$

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## Interpreting the Result: How Close Is Point P to the Wire?

The calculated distance:

$$r \approx 3.33 \times 10^{-7} \text{ meters}$$

which is approximately 0.33 micrometers.

This extremely small distance indicates that point P must be very close to the wire to experience such a strong magnetic field of 1.2 Tesla at just 2.0 A of current.

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## Implications and Real-World Considerations

Understanding the magnitude of the magnetic field at such close proximity has practical implications:

### 1. Magnetic Field Strength Near Conductors

- Magnetic fields near conductors can reach high levels, especially close to the wire.
- For typical currents (a few amperes), strong magnetic fields such as 1.2 T are only achievable at microscopic distances.

### 2. Safety Precautions in Electromagnetic Environments

- High magnetic fields pose safety risks, including interference with electronic devices and potential biological effects at high exposure levels.
- Proper shielding and safety protocols are necessary in environments with strong magnetic fields.

### 3. Applications in Electromagnetism and Engineering

- Such calculations are vital in designing electromagnets, MRI machines, and other devices where magnetic field strength and proximity are critical.

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## Summary of Key Points

- The magnetic field due to a long straight wire is given by  $B = \frac{\mu_0 I}{2 \pi r}$ .
- Given a magnetic field of 1.2 T and a current of 2.0 A, the distance from the wire to point P is approximately 0.33 micrometers.
- The extremely high magnetic field strength at such a small distance highlights the importance of

safety and precision in electromagnetic applications.

- This problem demonstrates the direct proportionality between magnetic field strength and current, and inverse proportionality to distance.

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## Additional Resources for Further Learning

- Textbooks:

- Introduction to Electrodynamics by David J. Griffiths

- Fundamentals of Physics by Halliday, Resnick, and Walker

- Online Resources:

- HyperPhysics: [Magnetic Fields of

- Currents](<http://hyperphysics.phy-astr.gsu.edu/hbase/magnetic/magcon.html>)

- Khan Academy: [Magnetic Fields and

- Force](<https://www.khanacademy.org/science/physics/magnetic-forces-and-magnetic-fields>)

- Simulation Tools:

- PhET Interactive Simulations: [Magnetic

- Fields](<https://phet.colorado.edu/en/simulation/magnetic-fields>)

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## Conclusion

Understanding how magnetic fields behave around long straight wires is essential for both theoretical physics and practical engineering applications. The calculation detailed in this article shows that for a magnetic field of 1.2 Tesla generated by a 2.0 A current, the point P must be extremely close—on the order of a fraction of a micrometer—to the wire. This insight emphasizes the importance of precise distance measurements and safety considerations when working with strong magnetic fields in real-world scenarios. Whether designing magnetic devices or studying fundamental electromagnetic phenomena, mastering these calculations is foundational for advancements in science and technology.

## Frequently Asked Questions

### How do you calculate the distance from a long straight wire where the magnetic field is known?

Use the formula  $B = (\mu_0 I) / (2\pi r)$ , where  $B$  is the magnetic field,  $\mu_0$  is the permeability of free space,  $I$  is the current, and  $r$  is the distance from the wire. Rearranged as  $r = (\mu_0 I) / (2\pi B)$ .

## **Given a magnetic field of 1.2 T produced by a 2.0 A current, what is the distance from the wire?**

Using  $r = (\mu_0 I) / (2\pi B)$ , with  $\mu_0 \approx 4\pi \times 10^{-7} \text{ T}\cdot\text{m/A}$ , the distance  $r \approx (4\pi \times 10^{-7} \times 2.0) / (2\pi \times 1.2) \approx 6.67 \times 10^{-7} \text{ meters}$ .

## **Is a magnetic field of 1.2 T realistic for a long straight wire carrying 2 A current?**

No, a magnetic field of 1.2 T is extremely high for such a setup; typical fields are in millitesla or microtesla range. This suggests the value may be hypothetical or pertains to a very close proximity or specialized equipment.

## **What units should be used when calculating the distance in this magnetic field problem?**

Ensure the current is in amperes (A), the magnetic field in tesla (T), and the permeability of free space in henrys per meter (H/m or T·m/A). The resulting distance will be in meters.

## **How does the magnetic field vary with distance from a long straight current-carrying wire?**

The magnetic field decreases inversely with distance, following  $B \propto 1/r$ . As you move farther from the wire, the magnetic field strength diminishes proportionally.

## **What assumptions are made when using the formula for magnetic field around a long straight wire?**

Assumes the wire is infinitely long, straight, and the magnetic field is measured in the region where the field is purely due to the wire, neglecting other magnetic influences.

## **How can the magnetic field strength be used to determine the proximity to a current-carrying wire in practical applications?**

By measuring the magnetic field strength at a point, you can use the inverse relationship with distance to estimate how close you are to the wire, which is useful in magnetic sensing and safety assessments.

## **Additional Resources**

At Point P The Magnetic Field Due To A Long Straight Wire Carrying A Current Of 2.0 A Is 1.2 T. How Far from the wire is this point? This question encapsulates a fundamental concept in electromagnetism—how magnetic fields behave around current-carrying conductors—and serves as a practical problem in physics that helps deepen our understanding of magnetic field intensity and its dependence on distance. Exploring this problem thoroughly involves understanding the

underlying principles, the mathematical formulation, and the application of laws such as Ampère's Law and the Biot-Savart Law. In this article, we will analyze the problem step-by-step, providing a comprehensive overview of magnetic field theory for infinite straight conductors, the relevant equations, and detailed calculations, along with insights into real-world applications.

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# Understanding the Magnetic Field Around a Long Straight Wire

## The Concept of Magnetic Fields Generated by Currents

Any current-carrying conductor produces a magnetic field in the surrounding space. This magnetic field is a vector field, meaning it has both magnitude and direction, and it results from the movement of charge carriers within the wire. The fundamental law governing this phenomenon is Ampère's Law, which relates the magnetic field around a current to the current itself.

The magnetic field lines around a long, straight conductor are concentric circles centered on the wire, with the field strength diminishing with increasing distance from the wire. This circular pattern reflects the right-hand rule: if you point your thumb in the direction of the current, your fingers curl around the wire in the direction of the magnetic field.

## Mathematical Formulation of Magnetic Field for a Long Straight Wire

The magnetic field ( $B$ ) at a distance ( $r$ ) from a long, straight conductor carrying a current ( $I$ ) is given by the Ampère's Law in its integral form:

$$B = \frac{\mu_0 I}{2 \pi r}$$

Where:

- ( $B$ ) is the magnetic field strength at distance ( $r$ ),
- ( $\mu_0$ ) is the permeability of free space ( $4\pi \times 10^{-7} \text{ T} \cdot \text{m/A}$ ),
- ( $I$ ) is the current passing through the wire,
- ( $r$ ) is the radial distance from the wire.

This formula assumes an idealized infinitely long wire, neglecting edge effects and other external influences.

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# Detailed Calculation of the Distance from Point P to the Wire

Given Data:

- Magnetic field at point P,  $(B = 1.2 \text{ T})$ ,
- Current in the wire,  $(I = 2.0 \text{ A})$ .

Objective:

- Find the distance  $(r)$  from the wire to point P.

Applying the formula:

$$r = \frac{\mu_0 I}{2 \pi B}$$

Substituting the known values:

$$r = \frac{(4\pi \times 10^{-7} \text{ T} \cdot \text{m/A}) \times 2.0 \text{ A}}{2 \pi \times 1.2 \text{ T}}$$

Simplify numerator:

$$(4\pi \times 10^{-7}) \times 2.0 = 8\pi \times 10^{-7}$$

Simplify denominator:

$$2 \pi \times 1.2 = 2.4 \pi$$

Now, the expression becomes:

$$r = \frac{8 \pi \times 10^{-7}}{2.4 \pi}$$

Cancel  $(\pi)$ :

$$r = \frac{8 \times 10^{-7}}{2.4}$$

Calculate:

$$r = \frac{8 \times 10^{-7}}{2.4} \approx 3.33 \times 10^{-7} \text{ m}$$

So, the distance between point P and the wire is approximately  $3.33 \times 10^{-7}$  meters or 0.333 micrometers.

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## Implications and Real-World Considerations



# Unusually High Magnetic Field for the Given Current

The value obtained—1.2 Tesla at such a small distance—is extraordinarily high, especially considering the current is only 2 A. Typically, magnetic fields of this magnitude are observed in specialized laboratory equipment like MRI machines or magnetic resonance spectrometers, which generate intense magnetic fields with powerful superconducting magnets. For a simple copper wire with 2 A current, such a high field is practically impossible at realistic distances, suggesting the problem might be theoretical or designed to demonstrate the inverse relationship between magnetic field strength and distance.

## Features / Pros:

- Demonstrates the inverse proportionality between magnetic field and distance.
- Highlights the importance of precise measurements in electromagnetic applications.
- Useful for understanding the limits of magnetic field generation in practical devices.

## Limitations / Cons:

- The calculated distance is extremely small—implying a near-contact scenario, which is physically impractical.
- Assumes an ideal infinitely long wire, neglecting edge effects and real-world complexities.
- Does not consider magnetic permeability variations in different materials.

# Application in Electromagnetic Devices and Engineering

Understanding the relationship between magnetic field and distance is crucial in designing electromagnetic devices such as inductors, transformers, and magnetic sensors. Engineers must consider how fields decay with distance to prevent interference and optimize performance.

## Features / Pros:

- Critical for electromagnetic compatibility (EMC) design.
- Enables accurate modeling of magnetic fields in complex geometries.
- Facilitates the development of miniaturized magnetic sensors and coils.

## Limitations / Cons:

- Simplistic models may not account for complex environmental factors.
- Real-world materials may alter magnetic field distributions.

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# Additional Insights and Educational Value

This problem serves as an excellent educational tool for physics students to comprehend the fundamental laws governing electromagnetism. It illustrates the practical application of Ampère's Law and underscores the importance of understanding the inverse relationship between magnetic field strength and distance.

## Key Takeaways:

- Magnetic field strength around a long, straight wire diminishes as the distance from the wire increases.
- The formula  $B = \frac{\mu_0 I}{2 \pi r}$  is essential for calculating magnetic fields in many applications.
- Practical magnetic field values at typical currents are usually much lower than the 1.2 T example, emphasizing the importance of considering real-world constraints.

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## Conclusion

The question of how far point P is from a long straight wire carrying a 2.0 A current, given a magnetic field of 1.2 Tesla, reveals the profound inverse relationship between magnetic field strength and distance. The calculated distance of approximately 0.333 micrometers illustrates the intense magnetic fields achievable only under specialized conditions and highlights the importance of accurate modeling in electromagnetic theory. While the theoretical value provides valuable insight into the behavior of magnetic fields, practical applications often involve much lower magnitudes, governed by the same fundamental principles. Understanding these relationships is vital in the fields of electrical engineering, physics, and applied sciences, enabling innovations in magnetic device design and electromagnetic compatibility.

## [At Point P The Magnetic Field Due To A Long Straight Wire Carrying A Current Of 2 0 A Is 1 2 T How Far](#)

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