

Implement A Program In Java That, Given An Array Of N Integers, Places All Positive Elements At The End

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Creating efficient algorithms to manipulate arrays is fundamental in Java programming, especially for tasks involving data reordering. One common scenario is transforming an array such that all positive integers are moved to the end while maintaining the order of non-positive elements or vice versa. This article provides a comprehensive guide on how to implement such a program in Java, covering various approaches, their advantages, and best practices. Whether you're a beginner or an experienced developer, understanding this problem enhances your problem-solving toolkit for array manipulation and improves your Java coding skills.

Understanding the Problem Statement

Before diving into solution strategies, it's essential to clearly understand the problem:

- Input: An array of integers, for example: [4, -1, 0, 3, -2, 5, -7]
- Output: The array with all positive elements moved to the end, for example: [-1, 0, -2, -7, 4, 3, 5]

Depending on the specific requirement, the order of the non-positive elements may or may not be preserved. Clarifying this is vital because it impacts the choice of algorithm.

Clarifications:

- Do we need to preserve the order of non-positive elements?
- Should the relative order of positive elements be maintained?
- Are zeroes considered positive or non-positive? (Typically, zero is neither positive nor negative, but for this problem, it can be treated as non-positive or positive based on definition)

In most contexts, zero is considered neither positive nor negative, so for the purpose of this problem, it can be treated as non-positive, but the implementation can be adjusted accordingly.

Approaches to Moving All Positive Elements to the End in Java

There are multiple ways to solve this problem, each with its own trade-offs regarding time complexity, space complexity, and whether order is preserved. Here, we explore the most common approaches:

1. Using a Two-Pass Method with Auxiliary Arrays
2. In-Place Partitioning Using Two Pointers
3. Single-Pass In-Place Reordering with Swapping
4. Using Java Streams (Functional Approach)

Approach 1: Using a Two-Pass Method with Auxiliary Arrays

This method involves creating two separate arrays or lists:

- One for non-positive elements
- One for positive elements

After processing, concatenate these two lists to form the final array.

Implementation Steps:

1. Initialize two lists: `nonPositiveList` and `positiveList`.
2. Iterate over the original array:
 - If the element is non-positive (`<= 0`), add it to `nonPositiveList`.
 - Else, add it to `positiveList`.
3. Combine the two lists, with non-positive elements first, followed by positive elements.
4. Convert the combined list back to an array if needed.

Example Code:

```
```java
public static int[] movePositivesToEnd(int[] arr) {
 List nonPositiveList = new ArrayList<>();
 List positiveList = new ArrayList<>();

 for (int num : arr) {
 if (num <= 0) {
 nonPositiveList.add(num);
 } else {
 positiveList.add(num);
 }
 }
 // Combine the lists and convert back to array
 int[] result = new int[nonPositiveList.size() + positiveList.size()];
 int index = 0;
 for (int num : nonPositiveList) {
 result[index++] = num;
 }
 for (int num : positiveList) {
 result[index++] = num;
 }
 return result;
}
```

```

}
}

int[] result = new int[arr.length];
int index = 0;

for (int num : nonPositiveList) {
 result[index++] = num;
}
for (int num : positiveList) {
 result[index++] = num;
}

return result;
}
```

```

Pros:

- Simple to understand and implement.
- Preserves the relative order within each group.

Cons:

- Uses additional space proportional to the input size ($O(N)$).
- Slightly less efficient due to extra list creation.

Approach 2: In-Place Partitioning Using Two Pointers

This approach aims to rearrange the array without extra space, ideal for large data sets where memory efficiency is critical.

Concept:

- Use two pointers:
- `left` starting at the beginning
- `right` starting at the end
- Move `left` forward until a positive element is found.
- Move `right` backward until a non-positive element is found.
- Swap these two elements when applicable.
- Continue until `left` and `right` cross.

This method moves positive elements to the start; to move them to the end, adapt the logic accordingly.

Implementation Steps:

1. Initialize two indices:

- `start` at 0
- `end` at `arr.length - 1`
- 2. Loop until `start` >= `end`:
 - If `arr[start]` is positive and `arr[end]` is non-positive, swap them.
 - Increment `start` if element is non-positive.
 - Decrement `end` if element is positive.
- 3. The array will be partitioned with non-positives at the start and positives at the end.

Example Code (Moving positives to the end):

```
```java
public static void movePositivesToEndInPlace(int[] arr) {
 int start = 0;
 int end = arr.length - 1;

 while (start < end) {
 if (arr[start] > 0 && arr[end] <= 0) {
 // Swap
 int temp = arr[start];
 arr[start] = arr[end];
 arr[end] = temp;
 start++;
 end--;
 } else {
 if (arr[start] <= 0) {
 start++;
 }
 if (arr[end] > 0) {
 end--;
 }
 }
 }
}
```

Pros:

- No extra space required ( $O(1)$  space complexity).
- Efficient for large arrays.

Cons:

- Does not preserve original order.
- Slightly complex logic.

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## Approach 3: Single-Pass In-Place Reordering

## with Swapping

This method is similar to the partition process in QuickSort. It involves maintaining a pointer for the position where the next non-positive element should be placed.

Implementation Steps:

1. Initialize a pointer `j` at 0.
2. Iterate through the array with index `i`.
3. For each element:
  - If the element is non-positive ( $\leq 0$ ), swap it with the element at `j`, then increment `j`.
4. After traversal, all non-positive elements will be at the start, and positives at the end.

To move all positives to the end, you can invert this logic or adapt the swapping condition.

Example Code (Moving positives to the end):

```
```java
public static void movePositivesToEndSinglePass(int[] arr) {
    int j = 0; // Position for non-positive
    for (int i = 0; i < arr.length; i++) {
        if (arr[i] <= 0) {
            // Swap arr[i] with arr[j]
            int temp = arr[i];
            arr[i] = arr[j];
            arr[j] = temp;
            j++;
        }
    }
}
```
```

In this case, after execution, all non-positive elements are at the start, positives at the end. To place positives at the end, you could modify the condition to swap when `arr[i] > 0`.

Pros:

- Simple and efficient.
- Maintains the order of non-positive elements if needed.

Cons:

- Does not preserve the order of positive elements.

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## Approach 4: Using Java Streams (Functional Style)

For modern Java (Java 8+), streams provide a clean, functional way to manipulate arrays.

Implementation:

```
```java
public static int[] movePositivesToEndUsingStreams(int[] arr) {
    int[] nonPositive = Arrays.stream(arr)
        .filter(x -> x <= 0)
        .toArray();
    int[] positives = Arrays.stream(arr)
        .filter(x -> x > 0)
        .toArray();
    int[] result = new int[arr.length];
    System.arraycopy(nonPositive, 0, result, 0, nonPositive.length);
    System.arraycopy(positives, 0, result, nonPositive.length, positives.length);
    return result;
}
```
```

Pros:

- Very concise and readable.
- Preserves the order of elements within groups.

Cons:

- Less efficient for large arrays due to multiple passes.
- Uses extra memory proportional to input size.

---

## Choosing the Right Approach

The optimal approach depends on specific requirements:

| Criteria                  | Approach 1 | Approach 2 | Approach 3 | Approach 4             |
|---------------------------|------------|------------|------------|------------------------|
| Preserves order           | Yes        | No         | No         | Yes (for non-positive) |
| Space complexity          | $O(N)$     | $O(1)$     | $O(1)$     | $O(N)$                 |
| Time complexity           | $O(N)$     | $O(N)$     | $O(N)$     | $O(N)$                 |
| Implementation complexity | Simple     | Moderate   | Simple     | Very simple            |

Summary:

- Use Approach 1 if order matters and extra space is acceptable.
- Use Approach 2 or 3 for in-place, memory-efficient solutions where order is

not critical.

- Use Approach 4 for concise, functional programming style, suitable for small datasets

## **Frequently Asked Questions**

### **How can I implement a Java program that moves all positive integers to the end of an array?**

You can iterate through the array, and whenever you encounter a positive number, swap it with an element from the end of the array, or build a new array with non-positive and positive numbers separately, then concatenate them.

### **What is the most efficient approach to place all positive elements at the end of an array in Java?**

Using the two-pointer technique, initialize one pointer at the start and another at the end, swapping positive elements from the front to the back, which results in an in-place solution with  $O(n)$  time complexity.

### **Can I do this in-place without using extra space in Java?**

Yes, by using a two-pointer approach, you can rearrange the array in-place without additional space, swapping positive elements towards the end as you traverse the array.

### **How do I handle zero or negative numbers while moving positives to the end?**

Treat zero and negative numbers as non-positive. During traversal, only swap or move positive numbers to the end, leaving zeros and negatives at the front or in their original positions.

### **Is it necessary to preserve the original order of non-positive elements when moving positives to the end?**

No, unless specified, the general approach does not preserve the original order. If order preservation is required, a different method like partitioning with extra space is needed.

## **Can I use Java Streams to solve this problem?**

Yes, you can use Java Streams to filter and collect the non-positive and positive elements into separate lists, then combine them to form the desired array, but this uses extra space.

## **What is the time complexity of the in-place solution for this problem?**

The in-place two-pointer approach typically has a time complexity of  $O(n)$ , as it processes each element once.

## **How do I test my Java program to ensure all positives are at the end?**

Create test cases with mixed positive and non-positive integers, run the program, and verify that all positive numbers appear after all non-positive numbers in the resulting array.

## **Can this approach handle large arrays efficiently?**

Yes, the in-place two-pointer method is efficient for large arrays, as it operates in linear time and constant space, making it suitable for large datasets.

## **What are some common pitfalls to avoid when implementing this in Java?**

Common pitfalls include not updating pointers correctly, modifying the array during iteration improperly, and not handling edge cases like empty arrays or arrays with all positive or all negative numbers.

## **Additional Resources**

Java Program Implementation for Moving All Positive Elements to the End of an Array

In the realm of software development, array manipulation remains a foundational concept, often serving as the backbone for more complex algorithms. Among various array operations, rearranging elements based on specific conditions frequently appears in coding challenges, interviews, and practical applications like data sorting, filtering, and preprocessing. One such task involves repositioning all positive integers in an array to the end, while maintaining the order of non-positive elements or vice versa.

This article provides an in-depth guide to implementing a robust Java program that accomplishes this task efficiently. Whether you're a novice programmer

aiming to understand array manipulation techniques or an experienced developer seeking a reference implementation, this comprehensive review will equip you with the necessary insights and best practices.

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## Understanding the Problem Statement

Before diving into the implementation, it's essential to clarify the core requirements and constraints:

- Input: An array of integers containing both positive and non-positive numbers (zero and negatives).
- Output: The same array, but with all positive numbers moved to the end.
- Order Preservation: The order of non-positive elements should be maintained unless explicitly stated otherwise.
- In-place Operation: The algorithm should modify the original array without requiring additional space proportional to the array size, if possible.
- Efficiency: The solution should aim for optimal time complexity, ideally  $O(n)$ , where  $n$  is the size of the array.

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## Key Concepts and Approaches

Implementing this functionality involves understanding various array manipulation strategies. Below are some common approaches, their merits, and potential trade-offs:

### 2.1 Naive Approach: Using Extra Space

Method:

- Create a new array.
- Copy all non-positive elements first.
- Append all positive elements afterward.

Pros:

- Simple to implement.
- Maintains relative order of elements easily.

Cons:

- Additional space proportional to the array size ( $O(n)$ ).
- Not in-place, which might be a constraint in memory-critical scenarios.

## 2.2 Two-Pass In-Place Approach

### Method:

- Traverse the array, swapping or moving non-positive elements forward.
- After the first pass, all non-positive elements are at the beginning.
- Then, move positive elements to the end.

### Pros:

- In-place operation.
- Efficient with linear time complexity.

### Cons:

- Slightly more complex logic.
- Might require careful handling to preserve order if needed.

## 2.3 Two-Pointer Technique

### Method:

- Use two pointers: one starting from the beginning (`left`), and the other from the end (`right`).
- Swap positive elements found at the `left` pointer with non-positive elements at the `right`.
- Move pointers inward until they meet.

### Pros:

- Very efficient, with  $O(n)$  time complexity.
- In-place and minimal extra space.

### Cons:

- May not preserve original order unless additional logic is incorporated.
- Slightly complex to implement accurately.

---

# Designing the Java Program

The goal is to create a program that efficiently moves all positive integers to the array's end in-place, ideally preserving the order of non-positive elements. We'll explore a solution based on the two-pass in-place approach that balances simplicity and performance.

## 2.1 Program Overview

- Input: Integer array.
- Process: Traverse the array, reposition non-positive elements at the start, and then move positive elements to the end.
- Output: The modified array with positives at the end.

## 2.2 Implementation Strategy

1. First pass: Iterate through the array, moving all non-positive elements to the front while maintaining their order.
2. Second pass: Starting from the position after the last non-positive element, ensure all positive elements are grouped at the end.

This method ensures order preservation and minimal additional space.

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## Implementing the Java Program

Below is a detailed, step-by-step Java implementation with explanations.

```
```java
public class MovePositivesToEnd {

    /
    Moves all positive elements in the array to the end while maintaining the
    order of non-positive elements.
    This method modifies the array in-place.

    @param arr The input array of integers
    /
    public static void movePositivesToEnd(int[] arr) {
        if (arr == null || arr.length == 0) {
            // Handle null or empty array
            return;
        }

        int n = arr.length;
        int index = 0;

        // First pass: move all non-positive elements to the front
        for (int i = 0; i < n; i++) {
            if (arr[i] <= 0) {
                // Swap only if current element is not already at the 'index' position
                if (i != index) {
                    swap(arr, i, index);
                }
                index++;
            }
        }
    }
}
```

```
// Now, all non-positive elements are at the start
// The positive elements are from 'index' to 'n - 1'
// The array is now partitioned; positive elements are at the end
}
```

```
/
Utility method to swap elements at two indices in the array.
```

```
@param arr The array
@param i First index
@param j Second index
/
private static void swap(int[] arr, int i, int j) {
    int temp = arr[i];
    arr[i] = arr[j];
    arr[j] = temp;
}
```

```
/
Utility method to print the array.
```

```
@param arr The array to print
/
public static void printArray(int[] arr) {
    System.out.print("[");
    for (int i = 0; i < arr.length; i++) {
        System.out.print(arr[i]);
        if (i != arr.length - 1) {
            System.out.print(", ");
        }
    }
    System.out.println("]");
}
```

```
// Main method for demonstration
public static void main(String[] args) {
    int[] array = {3, -1, 0, 5, -2, 8, -7, 2};
    System.out.println("Original array:");
    printArray(array);
```

```
    movePositivesToEnd(array);
```

```
    System.out.println("Array after moving positives to the end:");
    printArray(array);
}
}
```

```
...
```

```
---
```

Detailed Explanation of the Implementation

2.1 The `movePositivesToEnd` Method

This method performs the core operation:

- It initializes an `index` to zero, indicating the position where the next non-positive element should be placed.
- It iterates through the array:
- When it encounters a non-positive element (`arr[i] <= 0`), it swaps it with the element at `index`, if they are not already the same.
- It then increments `index` to move to the next position.
- This process ensures all non-positive elements are moved to the front in their original relative order.

2.2 Preservation of Order

Because the method only swaps when a non-positive element is found out of place (i.e., at a position beyond `index`), the relative order of non-positive elements is maintained. Positive elements naturally move towards the end as they are swapped with non-positive elements.

2.3 Time and Space Complexity

- Time Complexity: $O(n)$, where n is the size of the array, since the array is traversed only once.
- Space Complexity: $O(1)$, as the operation is performed in-place with only a few auxiliary variables.

Extending the Solution: Handling Different Requirements

While the above implementation maintains the order of non-positive elements, some scenarios might require:

- Order Preservation of Positive Elements: If required, a more complex approach involving auxiliary lists or arrays is necessary.
- Moving All Positive Elements to the Front: The logic can be inverted accordingly.
- Custom Sorting: For more sophisticated arrangements, combining this approach with sorting algorithms might be necessary.

Practical Applications and Use Cases

This array manipulation technique isn't merely academic; it has real-world applications:

- Data Preprocessing: Moving certain categories of data (e.g., positive values) to a specific section for targeted processing.
- Filtering and Sorting: Efficiently partitioning data for quick access or further sorting.
- Game Development: Managing game elements with specific properties, such as active/inactive status.
- Financial Data Analysis: Segregating profit (positive) and loss (non-positive) figures for separate analysis.

Conclusion

Efficiently moving all positive elements to the end of an array in Java is a common yet critical programming task that exemplifies array manipulation, in-place operations, and algorithmic thinking. The approach outlined combines simplicity, efficiency, and minimal auxiliary space, making it suitable for large datasets and performance-critical applications.

By understanding the underlying principles—such as the two-pass approach and in-place swapping—you can adapt and extend this method for various array rearrangement problems. Mastery of such techniques enhances your problem-solving arsenal and prepares you for coding challenges, technical interviews, and practical software development tasks.

Whether you're developing a data processing pipeline, optimizing algorithms, or just want to sharpen your array manipulation skills, implementing these strategies will undoubtedly add to your coding proficiency.

Happy coding!

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